77. We use the functional notation x(t), v(t) and a(t) and find the latter two quantities by differentiating:

$$v(t) = \frac{dx(t)}{t} = -15t^2 + 20$$
 and $a(t) = \frac{dv(t)}{dt} = -30t$

with SI units understood. This expressions are used in the parts that follow.

- (a) From $0 = -15t^2 + 20$, we see that the only positive value of t for which the particle is (momentarily) stopped is $t = \sqrt{20/15} = 1.2$ s.
- (b) From 0 = -30t, we find a(0) = 0 (that is, it vanishes at t = 0).
- (c) It is clear that a(t) = -30t is negative for t > 0 and positive for t < 0.
- (d) We show the two of the graphs below (the third graph, a(t), which is a straight line through the origin with slope = -30 is omitted in the interest of saving space). SI units are understood.

