



departamento de informática  
FACULDADE DE CIÊNCIAS E TECNOLOGIA  
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# Concurrency Control (1)

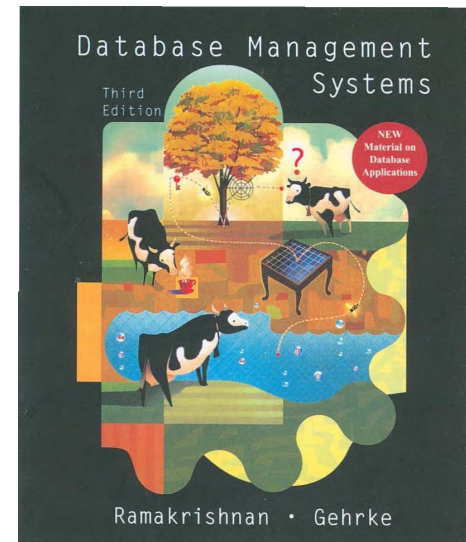
Concurrency and Parallelism — 2017-18  
Masters in Computer Science  
(Mestrado Integrado em Eng. Informática)

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Base on slides from: [https://users.cs.duke.edu/~shivnath/courses/fall06/Lectures/11\\_serial.ppt](https://users.cs.duke.edu/~shivnath/courses/fall06/Lectures/11_serial.ppt)

# Concurrency Control

- Contents:
  - Transactional model
  - Serializability
  - Conflicting operations
- Reading list:
  - Chap 17 of Database management systems (3rd Ed.)  
McGraw-Hill Education  
Raghu Ramakrishnan, Johannes Gehrke  
ISBN: 0-07-123151-X



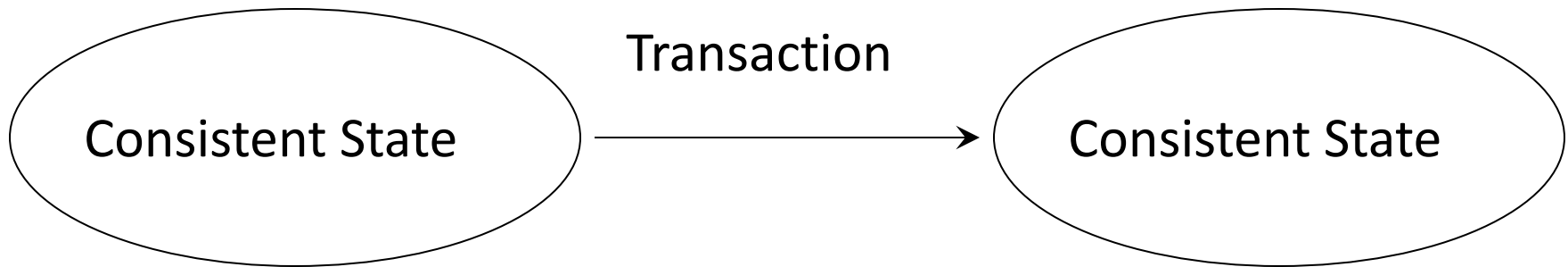
# Transaction

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- Programming abstraction
- Implement real-world transactions
  - Banking transaction
  - Airline reservation

# Transaction: Programmer's Role

- Consistency

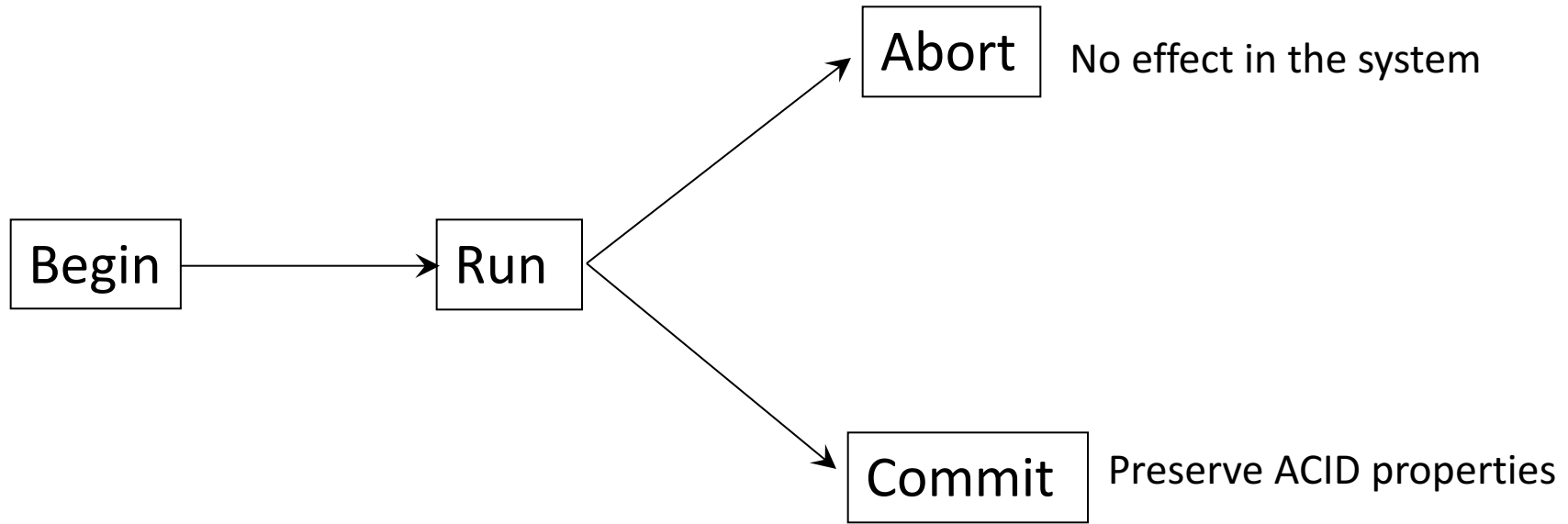


# Transaction: System's Role

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- Atomicity
  - All changes of the transaction take effect or none at all
- Durability
  - All future transactions see the changes made by this transaction if it completes
- Isolation
  - Same effect as if the transaction executed in isolation

# Transaction: States



# Transactions

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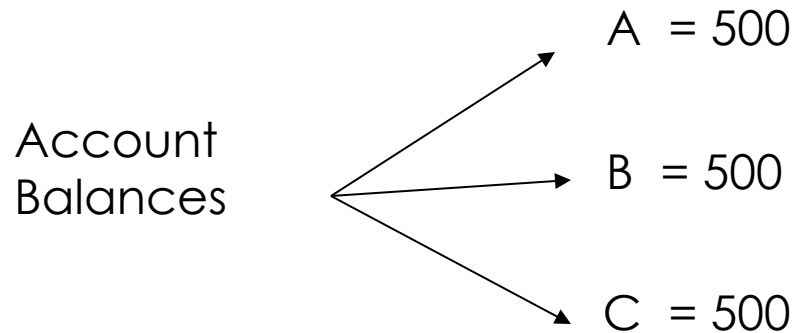
- Historical note:
  - Turing Award for Transaction concept
  - Jim Gray (1998)
- Interesting reading:

Transaction Concept: Virtues and Limitations  
by Jim Gray

<http://www.hpl.hp.com/techreports/tandem/TR-81.3.pdf>

# Issues with Concurrency: Example

Bank database: 3 Accounts



Property:  $A + B + C = 1500$

Money does not enter the system

Money does not leave the system



# Issues with Concurrency: Example

- Transaction T1: Transfer 100 from A to B

$A = 500, B = 500, C = 500$   $\longrightarrow$

Read (A, t)  
 $t = t - 100$   
Write (A, t)  
Read (B, t)  
 $t = t + 100$   
Write (B, t)

$A = 400, B = 600, C = 500$   $\longrightarrow$

# Issues with Concurrency: Example

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- Transaction T2: Transfer 100 from A to C

Read (A, s)

$s = s - 100$

Write (A, s)

Read (C, s)

$s = s + 100$

Write (C, s)

Transaction T1	Transaction T2	A	B	C
Read (A, t)		500	500	500
$t = t - 100$				
Write (A, t)		400	500	500
	Read (A, s)			
	$s = s - 100$			
	Write (A, s)	300	500	500
Read (B, t)				
$t = t + 100$				
Write (B, t)		300	600	500
	Read (C, s)			
	$s = s + 100$			
	Write (C, s)	300	600	600

$$300 + 600 + 600 = 1500$$

Transaction T1	Transaction T2	A	B	C
Read (A, t)		500	500	500
$t = t - 100$				
	Read (A, s)			
	$s = s - 100$			
	Write (A, s)	400	500	500
Write (A, t)		400	500	500
Read (B, t)				
$t = t + 100$				
Write (B, t)		400	600	500
	Read (C, s)			
	$s = s + 100$			
	Write (C, s)	400	600	600

$$400 + 600 + 600 = 1600$$

# Terminology

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- Schedule:
  - The exact sequence of (relevant) actions of one or more transactions

# Problems

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- Which schedules are “correct”?
  - Mathematical characterization
- How to build a system that allows only “correct” schedules?
  - Efficient procedure to enforce correctness

# Correct Schedules: Serializability

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- Initial database state is consistent
- Transaction:
  - consistent state  $\rightarrow$  consistent state
- Serial execution of transactions:
  - Initial state  $\rightarrow$  consistent state
- **Serializable schedule:**
  - A schedule equivalent to a serial schedule
  - Always “correct”

# Serial Schedule

		A	B	C
T1	Read (A, t)	500	500	500
	$t = t - 100$			
	Write (A, t)			
	Read (B, t)			
	$t = t + 100$			
T2	Write (B, t)	400	600	500
	Read (A, s)			
	$s = s - 100$			
	Write (A, s)			
	Read (C, s)			
	$s = s + 100$			
	Write (C, s)	300	600	600

$$300 + 600 + 600 = 1500$$



# Serial Schedule

T2

Read (A, s)

$s = s - 100$

Write (A, s)

Read (C, s)

$s = s + 100$

Write (C, s)

A  
500

B  
500

C  
500

400

500

600

T1

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

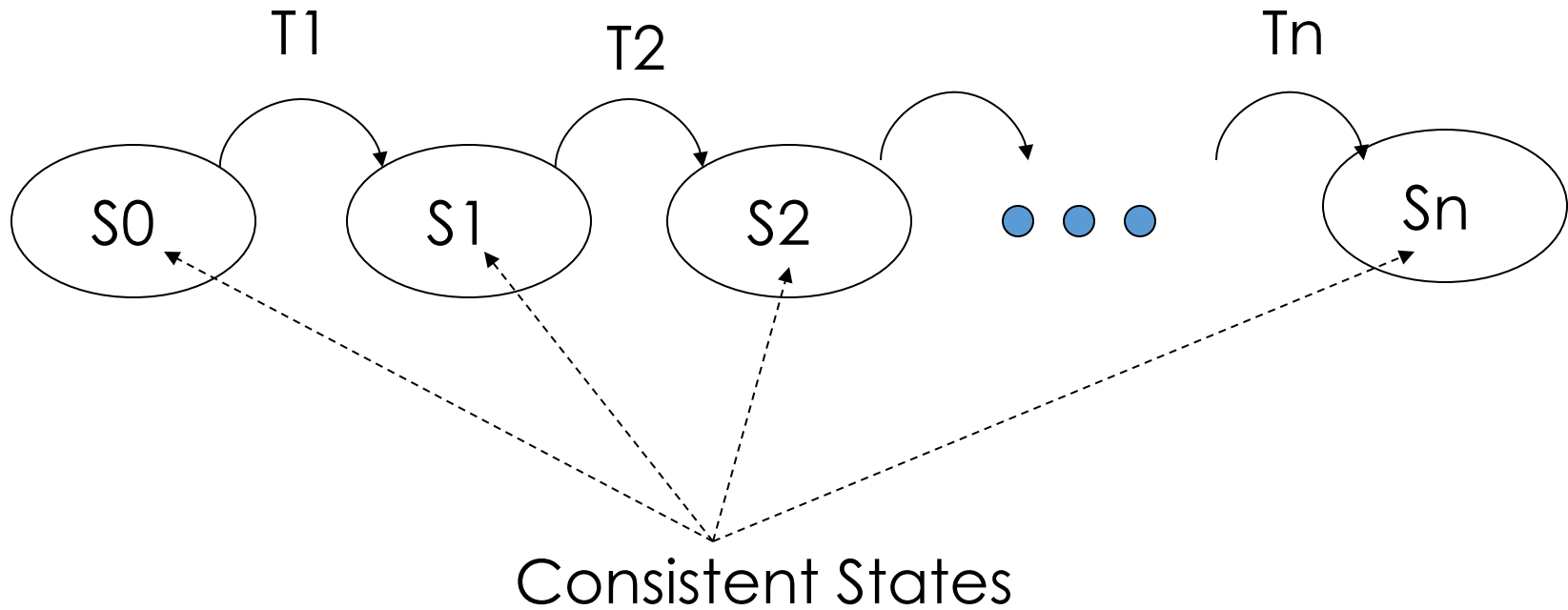
300

600

600

$$300 + 600 + 600 = 1500$$

# Serial Schedule



# Is this Serializable?

Read (A, t)

$t = t - 100$

Write (A, t)



Read (B, t)

$t = t + 100$

Write (B, t)

Transaction T1

Read (A, s)

$s = s - 100$

Write (A, s)



Read (C, s)

$s = s + 100$

Write (C, s)

Transaction T2

# Equivalent Serial Schedule

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

Read (A, s)

$s = s - 100$

Write (A, s)

Read (C, s)

$s = s + 100$

Write (C, s)

Transaction T1

Transaction T2

# Is this Serializable?

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

Transaction T1

Read (A, s)

$s = s - 100$

Write (A, s)

Read (C, s)

$s = s + 100$

Write (C, s)

Transaction T2

No. In fact, it leads  
to inconsistent state

# Is this Serializable?

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

Read (A, s)

~~$s = s - 100$~~  0

Write (A, s)

Read (C, s)

~~$s = s + 100$~~  0

Write (C, s)

Transaction T1

Transaction T2

# Is this Serializable?

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

Transaction T1

Read (A, s)

$s = s - 0$

Write (A, s)

Read (C, s)

$s = s + 0$

Write (C, s)

Transaction T2

Yes, T2 is no-op

# Serializable Schedule

Read (A, t)

$t = t - 100$

Write (A, t)

Read (B, t)

$t = t + 100$

Write (B, t)

Transaction T1

Read (A, s)

$s = s - 0$

Write (A, s)

Read (C, s)

$s = s + 0$

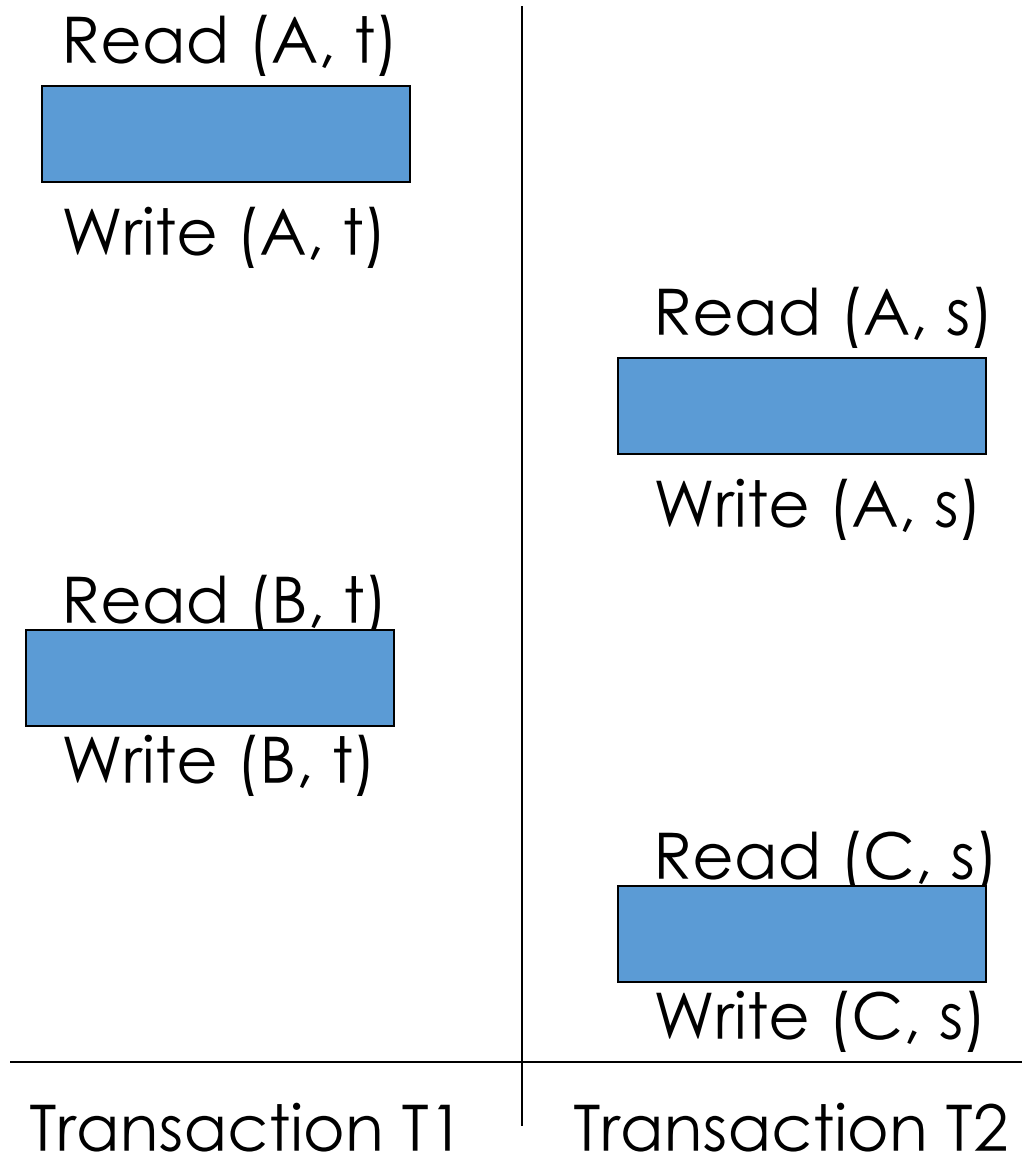
Write (C, s)

Transaction T2

Serializability depends  
on code details



# Serializable Schedule



Still Serializable!

# Serializability

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- General Serializability:
  - Hard to determine
- Goal: weaker serializability
  - Determined from database operations alone
- Database Operations:
  - Reads, Writes, Inserts, ...

# Simpler Notation

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$r_T(X)$       Transaction T reads X

$w_T(X)$       Transaction T writes X

# What is $X$ in $r(X)$ ?

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- $X$  could be any component of a database:
  - Attribute of a tuple
  - Tuple
  - Block in which a tuple resides
  - A relation
  - ...

# New Notation: Example Schedule

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$r_1(A) \ w_1(A) \ r_2(A) \ w_2(A) \ r_1(B) \ w_1(B) \ r_2(B) \ w_2(B)$

—————→  
time

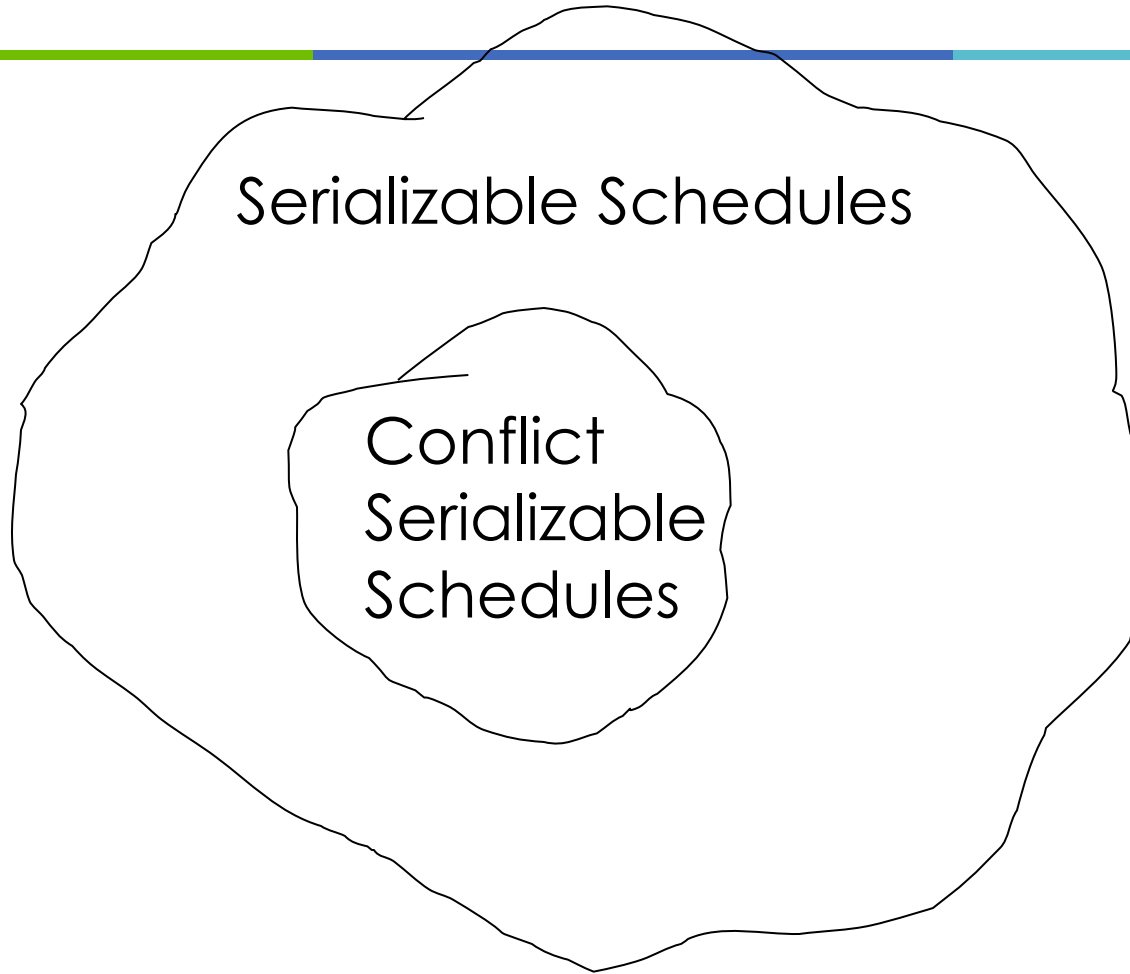
# Conflict Serializability

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- Weaker notion of serializability
- Depends only on reads and writes

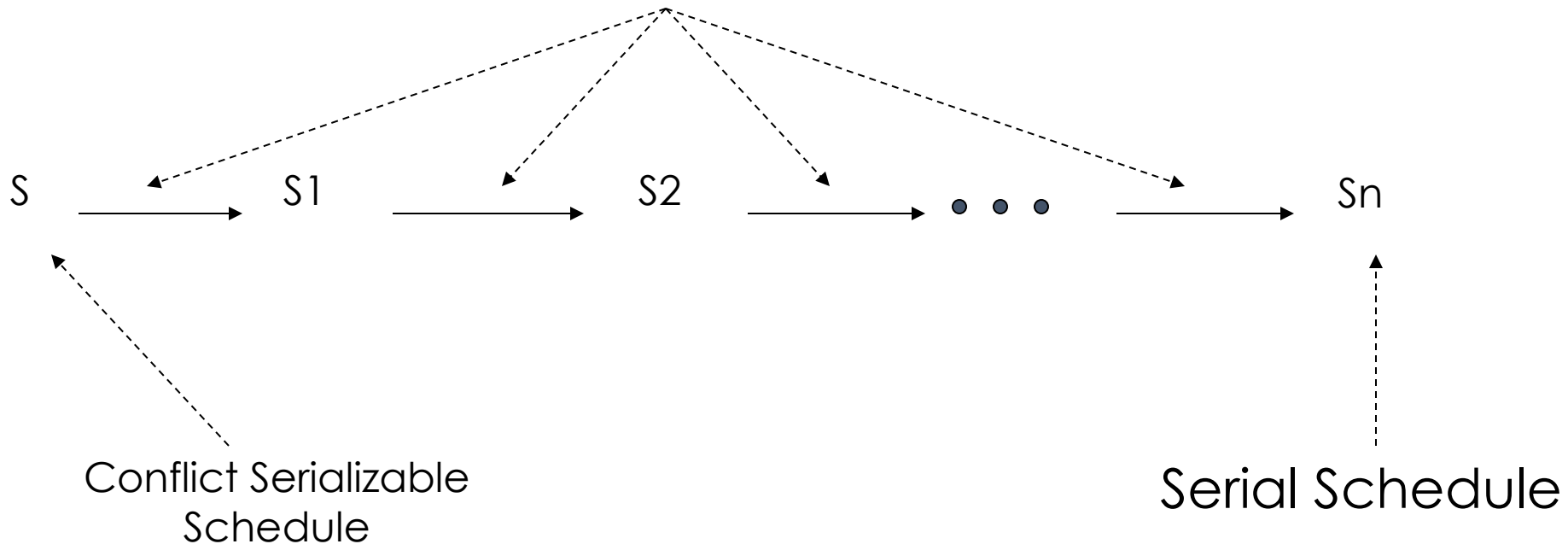
# Conflict Serializability

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# Conflict Serializable Schedule

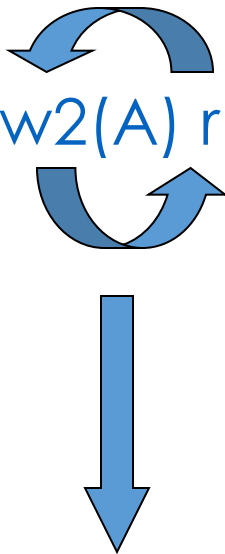
Transformations: swap **non-conflicting** actions





# Transformation: Example

$r1(A) \ w1(A) \ r2(A) \ w2(A) \ r1(B) \ w1(B) \ r2(B) \ w2(B)$



$r1(A) \ w1(A) \ r2(A) \ r1(B) \ w2(A) \ w1(B) \ r2(B) \ w2(B)$

# Non-Conflicting Actions

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Two actions are **non-conflicting** if whenever they occur consecutively in a schedule, swapping them does not affect the final state produced by the schedule. Otherwise, they are **conflicting**.

# Conflicting Actions: General Rules

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- Two actions of the same transaction conflict:
  - $r1(A) w1(B)$
  - $r1(A) r1(B)$
- Two actions over the same database element conflict, if one of them is a write
  - $r1(A) w2(A)$
  - $w1(A) w2(A)$

# Testing Conflict Serializability

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- Construct **precedence graph**  $G$  for given schedule  $S$
- $S$  is conflict-serializable iff  $G$  is **acyclic**

# View Serializability

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- A schedule  $S$  is view serializable if there exists a serial schedule  $S'$ , such that the source of all reads in  $S$  and  $S'$  are the same.

# View Serializability Example

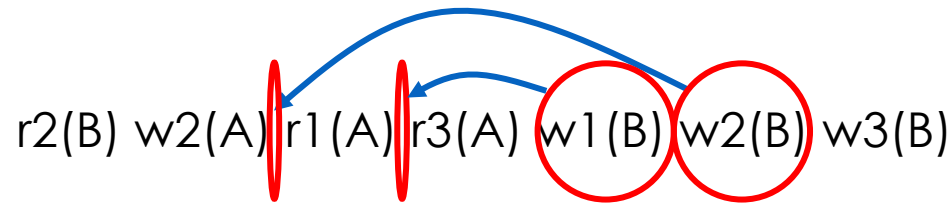
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View Serializable Schedule

$r_2(B) \ w_2(A) \ r_1(A) \ r_3(A) \ w_1(B) \ w_2(B) \ w_3(B)$

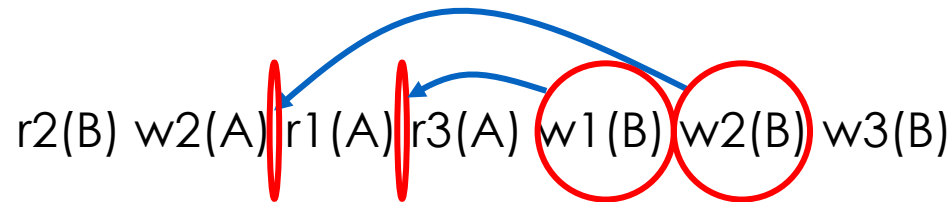
# View Serializability Example

View Serializable Schedule



# View Serializability Example

View Serializable Schedule



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Serial Schedule

$r_2(B)$   $w_2(A)$   $w_2(B)$   $r_1(A)$   $w_1(B)$   $r_3(A)$   $w_3(B)$



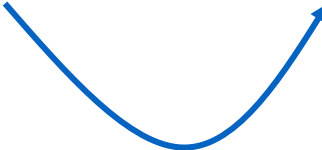
# View Serializability Example

View Serializable Schedule

  
r2(B) w2(A) r1(A) r3(A) w1(B) w2(B) w3(B)


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Serial Schedule

r2(B) w2(A) w2(B) r1(A) w1(B) r3(A) w3(B)  


# View Serializability Example

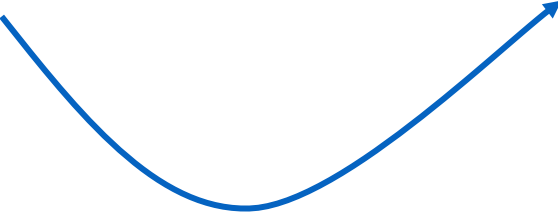
View Serializable Schedule

  
r2(B) w2(A) r1(A) r3(A) w1(B) w2(B) w3(B)

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Serial Schedule

r2(B) w2(A) w2(B) r1(A) w1(B) r3(A) w3(B)



# View Serializability Example

View Serializable Schedule

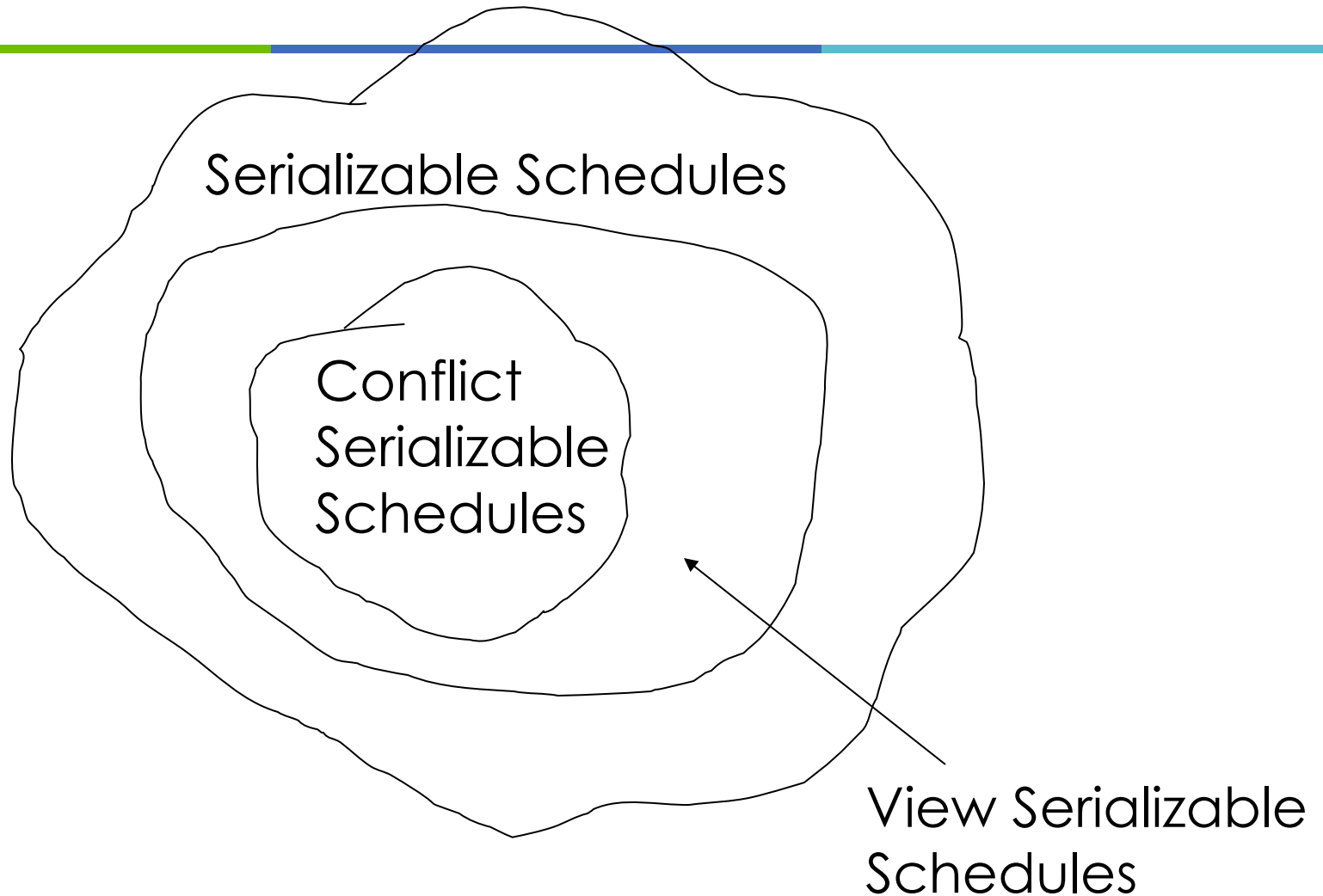
→  $r_2(B)$   $w_2(A)$   $r_1(A)$   $r_3(A)$   $w_1(B)$   $w_2(B)$   $w_3(B)$

Serial Schedule

→  $r_2(B)$   $w_2(A)$   $w_2(B)$   $r_1(A)$   $w_1(B)$   $r_3(A)$   $w_3(B)$

**YES**

# View Serializability



# Problems

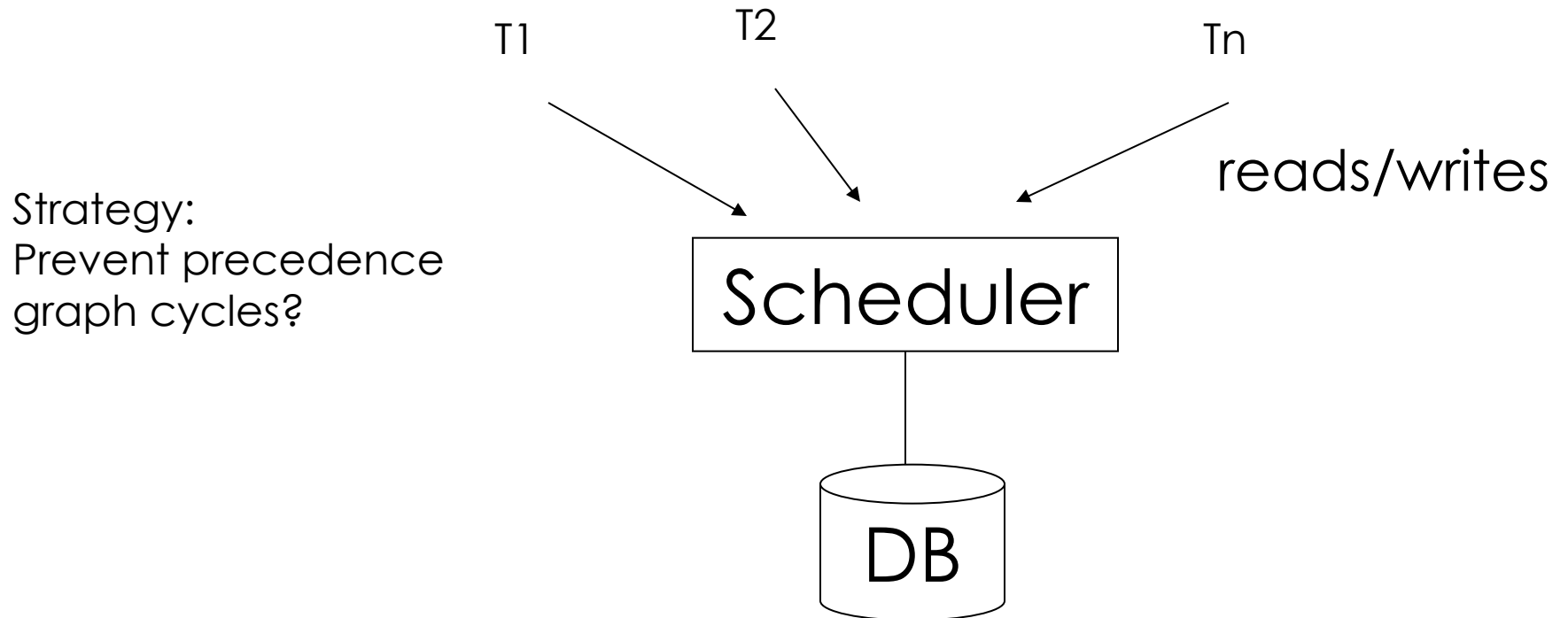
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- Which schedules are “correct”?
  - Serializability theory

→ How to build a system that allows only “correct” schedules?

- Efficient procedure to enforce ~~correctness~~ serializable schedules

# Enforcing Serializability



# Next class

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- Enforcing serializability
  - Locking-based techniques
  - Timestamp-based techniques

# The END

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